- 1. В
- 2. Α
- 3. В
- 4. D 5. А
- 6. А
- 7. 8. B C
- D 9.
- 10. C
- 11. C
- 12. C 13. B
- 14. B
- 15. A
- 16. D
- 17. A
- 18. D
- 19. D 20. C
- 21. D
- 22. A
- 23. D
- 24. A
- 25. D
- 26. B
- 27. C
- 28. B
- 29. B
- 30. A

1. B
$$\frac{AC^2D}{R^3} = \frac{2(4^2)(10)}{2^3} = \frac{A(3^2)(6)}{2^3} \to A = 20$$

5. B
$$\begin{pmatrix} 2 & 8 & 5 \\ 3 & 4 & -2 \\ -7 & 5 & 1 \end{pmatrix} \rightarrow 8 + 112 + 75 - (-140 - 20 + 24) = 195 - -136 = 331 \rightarrow 3$$

- 4. D Using areas we can set up some equations RFL-8=MFR-LRF 2RFL-8=MFR. MRF is half the area of the rectangle and therefore equal to MUF+RFL. Sp RFL =16 and MRF =24
- 5. A The horizontal is y = 0. The vertical is x = 3. To find the slant, just divide the denominator into the numerator and ignore the remainder. Set this equal to y to get the slant asymptote and you get y = -x. Draw a picture of these three lines and you get:

$$\frac{1}{2}(3)(3) = \frac{9}{2}$$

6. A The slope from the point (-4,3) to the origin is $\frac{-3}{4}$. The slope of the tangent line is the negative reciprocal of this. In Standard Form that gives us 4X - 3Y = C. Plug in the given point and the answer is: 4X - 3Y = -25

7. B Draw a triangle with a line parallel to the base.

$$V = \frac{1}{3}Bh = 250 \rightarrow 5B = 250 \rightarrow B = 50$$

If the area of the base is 50 then a side of the base is $5\sqrt{2}$. We can now set of similar

triangles:
$$\frac{9}{15} = \frac{x}{\frac{5\sqrt{2}}{2}} \rightarrow 5x = \frac{15\sqrt{2}}{2} \rightarrow x = \frac{3\sqrt{2}}{2}$$

 $\frac{1}{3}(9)(3\sqrt{2})^2 = 54 \rightarrow 250 - 54 = 196 \rightarrow 196 - 54 = 142$

8. C Transform the equation into an easier form for answering this question. 2p is the distance from the focus to the directrix

$$y^{2} - 4y + 4 = -8x + 28 + 4 \rightarrow (y - 2)^{2} = -8x + 32$$
$$(y - 2)^{2} = -8(x - 4) \rightarrow 4p = 8 \rightarrow 2p = 4$$

- 9. D Plug in 1, 2 and 3 to get 3 equations with 3 variables: $-3 = A + B + C \rightarrow -2 = 4A + 2B + C \rightarrow 3 = 9A + 3B + C$ $1 = 3A + B \rightarrow 5 = 5A + B \rightarrow 4 = 2A \rightarrow A = 2 \rightarrow B = -5 \rightarrow C = 0 \rightarrow 2 - -5 - 0 = 7$
- 10. C $100x+10y+z=100z+10y+x \rightarrow 99(x-z)=0$. X and Y can be anything from 1-9 so 9 possibilities.

11. C Draw a picture and you see that WUZ is isosceles so UZ = 24. The altitude creates a 30-60-90 in FUZ and a 45-45-90 in FLU. So we get $12\sqrt{3} + 12\sqrt{3} + 24 + 12 = 36 + 24\sqrt{3} \rightarrow 36 - 24 = 12$ 12. C $\sqrt{\left(x-6\right)^{2}+\left(\sqrt{x-2}-0\right)^{2}}=\sqrt{x^{2}-11x+34}=\sqrt{\left(x-\frac{11}{2}\right)^{2}+\frac{15}{4}}\rightarrow\frac{\sqrt{15}}{2}$ $-2 < 2x^{2} + 5x - 5 < 2 \rightarrow 2x^{2} + 5x - 5 < 2 \rightarrow 2x^{2} + 5x - 7 < 0$ 13. B $(2x+7)(x-1) < 0 \rightarrow \frac{-7}{2} < x < 1 \rightarrow -2 < 2x^{2} + 5x - 5 \rightarrow 0 < 2x^{2} + 5x - 3$ $(2x-1)(x+3) > 0 \rightarrow (-\infty, -3) \cup (\frac{1}{2}, \infty) \cap \frac{-7}{2} < x < 1 \rightarrow (-\frac{7}{2}, -3) \cup (\frac{1}{2}, 1)$ 14. В From Descartes rule of signs we get: -+- - +. So we have 3 sign changes which means 3 or 1 negative roots. If you graph some negatives it is easy to see you go from (0,3) to (-1,-9) the negative outputs only get bigger so we have one negative root between 0 and -1 15. A $8+2x-x^2 = -(x^2-2x-8) = -(x-4)(x+2) \rightarrow -2 \le D \le 4$ -5-4-...+0+1=-14

$$-5 \le K \le 1 \to 7$$

16. D $6 - x + x + 9 = 15$

17. A
$$\frac{3}{5}(600) = 360 = U \rightarrow L - U = \frac{2}{5}(360) = 144$$

- 18. D All are different. The first is a line. The 2^{nd} a line with a hole and the third is 2 lines
- 19. D Draw picture and connect perpendiculars from center of circle to J and F. This creates a kite with angles of 90,90,32, and central angle of 148. WJF is half this angle because it is an inscribed angle so answer 74.
- 20. C Sum of roots is 6 and since only 1 real they must be of the form 2-bi, 2, and 2+bi. Plug in 2 and you get 8-24+42-k=0 k=26 so 2+6=8

21. D
$$9x = y^{-3} \rightarrow x^{-3} = y^3 \rightarrow 9x = x^3 \rightarrow x^2 = 9$$

$$\frac{x}{y} = \frac{x}{x^{-1}} = x^2 = 9$$

- 22. A $2x+9+x+1+2\sqrt{2x^2+11x+9} = x+4$ $-2x-6=2\sqrt{2x^2+11x+9} \rightarrow -x-3 = \sqrt{2x^2+11x+9}$ both are extraneous so no $x^2+6x+9=2x^2+11x+9 \rightarrow x^2+5x=0 \rightarrow x=-5,0$ solutions
- 23. D Base equal 1 gives (5,1). Base equals -1 and exponent equals an even gives (-1,7). Exponent equals zero gives (3,3) and (4,2). So5+7+3+4=19
- 24. A choose 3 of the remining 8 to be with Jason and then double because those 3 could be with Lu as well $2_8C_3 = \frac{2 \cdot 8 \cdot 7 \cdot 6}{3 \cdot 2 \cdot 1} = 112$

25. D The altitude to the hypotenuse is the geometric mean of the 2 segments, so:

$$a^2 = 2x^2 + x^2$$

 $b^2 = 2x^2 + 4x^2 \rightarrow \frac{a^2}{b^2} = \frac{3x^2}{6x^2} \rightarrow \frac{a}{b} = \sqrt{\frac{1}{2}} = \frac{\sqrt{2}}{2}$
26. B If the 3rd and 5th are the same, then n=6. So, the 4th term is coefficient is $-{}_6C_3 = -20$
27. C Call RS=x $\frac{x}{15} = \frac{12}{x+8} \rightarrow x^2 + 8x - 180 = 0 \rightarrow (x+18)(x-10) = 0 \rightarrow x = 10$
28. B $11^5 \cdot 20^4 \rightarrow 11^5 \cdot 2^8 \cdot 5^4$
 $11^3 \cdot 2^6 \cdot 5^3 \rightarrow A \cdot B^2 \cdot C \rightarrow 2 \cdot 3 \cdot 2 = 12$
29. B start with (20,0) every time x goes down by 5 y goes up by 101. Last one is (0,404) for a total of 5.
30. A $4^{2x+1} - 3 \cdot 4^{x+1} = -5 \rightarrow 4(4^{2x}) - 12(4^x) + 5 = 0$
 $4^x = y \rightarrow 4y^2 - 12y + 5 = 0 \rightarrow (2y-1)(2y-5) = 0$
 $y = \frac{1}{2}, \frac{5}{2} \rightarrow 2^{2x} = 2^{-1} \rightarrow x = \frac{-1}{2}$