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## #5 Geometry – Hustle MA© National Convention 2016

Line *a*: 2x-5y=17Line *b*: perpendicular to *a*, through (2,3) Line *c*: parallel to *b*, through (-1,4) Line *d*: perpendicular to *c*, through (5,-2) Line *e*: parallel to *d*, through (9,7) If these five lines are all in the same plane,

what is the *y*-coordinate of the *y*-intercept of line *e*?

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#### #6 Geometry – Hustle MA© National Convention 2016

When two triangles are congruent, 6 pairs of pieces are congruent (3 pairs of sides and 3 pairs of angles). What is the greatest number of pairs or pieces (sides and/or angles) which can be congruent in two triangles that are not themselves congruent?

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#### #8 Geometry – Hustle MA© National Convention 2016

In geometry and other areas of mathematics, there is a type of proof which tries to show that the contrapositive of the original statement is true, and it generally begins by temporarily assuming the negation of the conclusion you are actually trying to prove. What is the name of a proof of this type?

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#### #10 Geometry – Hustle MA© National Convention 2016

What is the sum of the enclosed areas of the inscribed and circumscribed circles for an equilateral triangle whose enclosed area is  $36\sqrt{3}$ ?

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A circle with enclosed area  $49\pi$  and a circle with radius of length 10 have their centers positioned 15 units apart. What is the length of a common external tangent for these circles between the two points of tangency?

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#### #14 Geometry – Hustle MA© National Convention 2016

In a certain right triangle, it is known that the perimeter is 180, the sum of the interior angles is 180°, and the sine of the smallest interior angle is  $\frac{3}{5}$ . What is the area enclosed by this triangle?

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Two distinct circles are concentric. A chord of the larger circle is drawn tangent to the smaller circle. If the length of this chord is 18, what is the positive difference between the areas of the circles?

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#### #16 Geometry – Hustle MA© National Convention 2016

A triangle has sides of lengths 27, 36, and 42. If the bisector of the largest interior angle is drawn, find the positive difference in the perimeters of the two triangles into which this angle bisector divides the original triangle.

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#### #18 Geometry – Hustle MA© National Convention 2016

A sphere with radius of length 9 is melted down and recast as a cone with base radius of length 9. What is the height of the cone?

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#### #19 Geometry – Hustle MA© National Convention 2016

A right rectangular prism has faces with areas of 80, 80, 60, 60, 120, and 120. What is the volume of this solid?

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#### #20 Geometry – Hustle MA© National Convention 2016

Square *ABCD* has perimeter 20. Equilateral triangle *ABE* is drawn such that *E* is in the interior of square *ABCD*. What is the sum, in degrees, of the measures of  $\angle DEA$  and  $\angle DBE$ ?

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#### #21 Geometry – Hustle MA© National Convention 2016

What is the minimum number of lines which must be drawn in a plane in order to separate the plane into 40 non-overlapping regions?

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A solid has a surface area of 36 square units. The maximum possible volume for a solid of this type can be expressed as  $\frac{36}{n}$  cubic units. What is the value of *n*?

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#### #24 Geometry – Hustle MA© National Convention 2016

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#### **#25 Geometry – Hustle MAO National Convention 2016**

A coin with radius of length 1 inch lands face down in the bottom of a box that is 16 inches by 16 inches with a height of 4 inches. What is the probability that the coin is at least 2 inches away from the closest edge of the bottom of the box?

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